TABLE I.I ALGORITHMS FOR CONVERTING SEMI-INTEGRATED RADIO FLUX DATA (FS) TO PEAK PROTON FLUX (J)

FREQUENCY A L G O R I T H M (MHz) 1415 $J(>5.2) = \frac{1}{C}(2.97 \times 10^4 F_{sw}^{0.243})^2$ 2695 $J(>5.2) = \frac{1}{C}(8.63 \times 10^8 F_{sw}^{0.513})^2$ 4995 $J(>5.2) = \frac{1}{C}(5.97 \times 10^7 F_{sw}^{0.453})^2$ 8800 $J(>5.2) = \frac{1}{C}(9.12 \times 10^6 F_{sw}^{0.406})^2$

TABLE 1.3 ALGORITHMS FOR CONVERTING INTEGRATED X-RAY FLUX (FX) TO PEAK PROTON FLUX (J)

I-8 $J(>10) = 2.222 \times 10^3 F_{xw}^2$ 0.5-4 $J(>10) = 5.555 \times 10^4 F_{xw}^2$

PPS: Smart & Shea (1979, Proc. Solar Terr. Predictions), based on "selected results": start with a maximum possible intensity based on radio flux or fluence or SXR fluence, modify for position, etc.

TABLE 1.2 ALGORITHMS FOR CONVERTING EVENT INTEGRATED RADIO FLUX DATA (F_I) TO PEAK PROTON FLUX (J)

FREQUENCY ALGORITHM (MHz) $J(>5.2) = \frac{1}{C}(1.74 \times 10^6 F_{IW}^{0.376})^2$ $2695 J(>5.2) = \frac{1}{C}(1.66 \times 10^6 F_{IW}^{0.380})^2$ $4995 J(>5.2) = \frac{1}{C}(4.57 \times 10^5 F_{IW}^{0.352})^2$ $8800 J(>10) = 3.4 \times 10^{24} F_{IJ}^{1.43}$ $2800 J(>5.2) = \frac{1}{C}(0.0116 F_{IS}^{0.555})^2$

NOTES: I SFU=10-22 Wm-2 Hz-1
I JOULE = WATT SEC.

FSW DESIGNATES UNITS FOR SEMI-INTEGRATED RADIO DATA AND MUST BE (Wm-2 Hz-1) SEC.

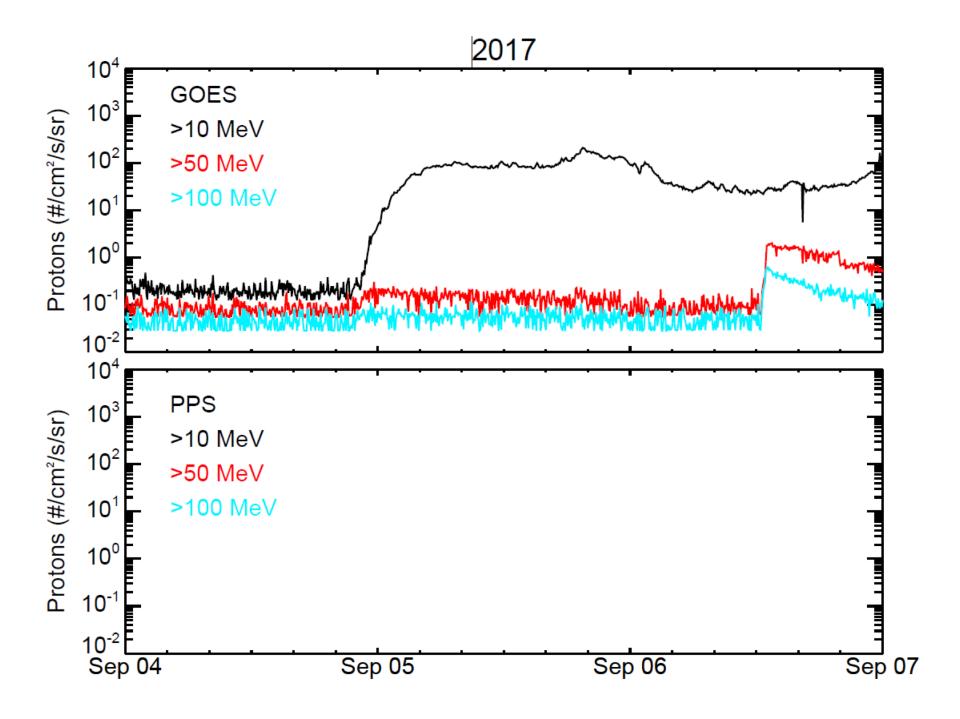
FIW DESIGNATES UNITS FOR EVENT INTEGRATED RADIO DATA AND MUST BE (Wm-2 Hz-1) SEC.

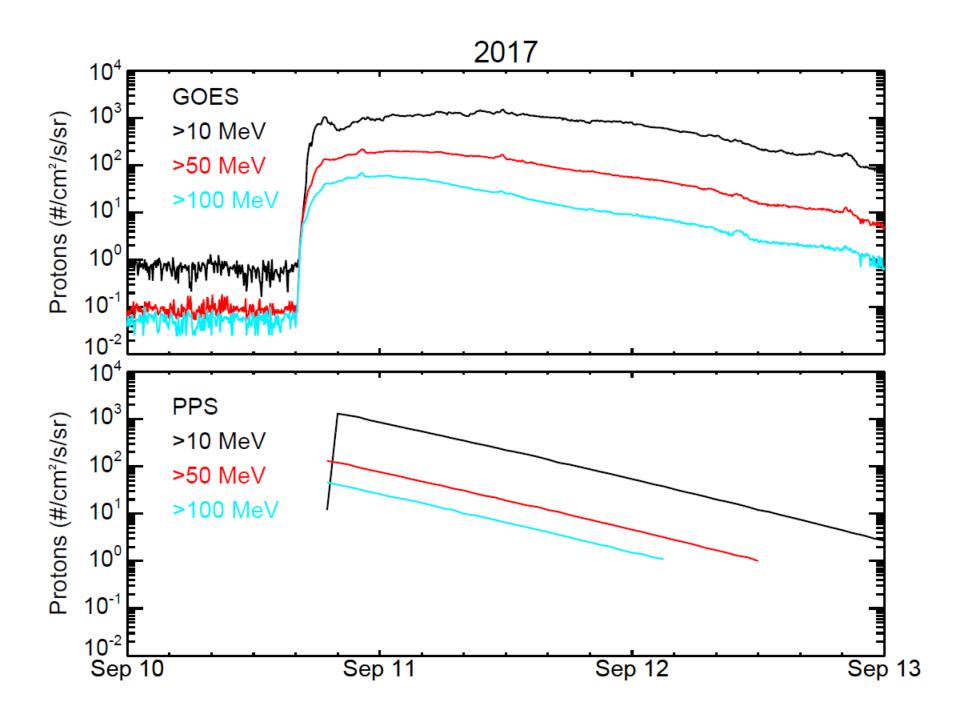
FIJ DESIGNATES UNITS FOR EVENT INTEGRATED RADIO DATA AND AND MUST BE Jm-2 Hz-1

FIS DESIGNATES UNITS FOR EVENT INTEGRATED RADIO DATA AND MUST BE SFU SEC.

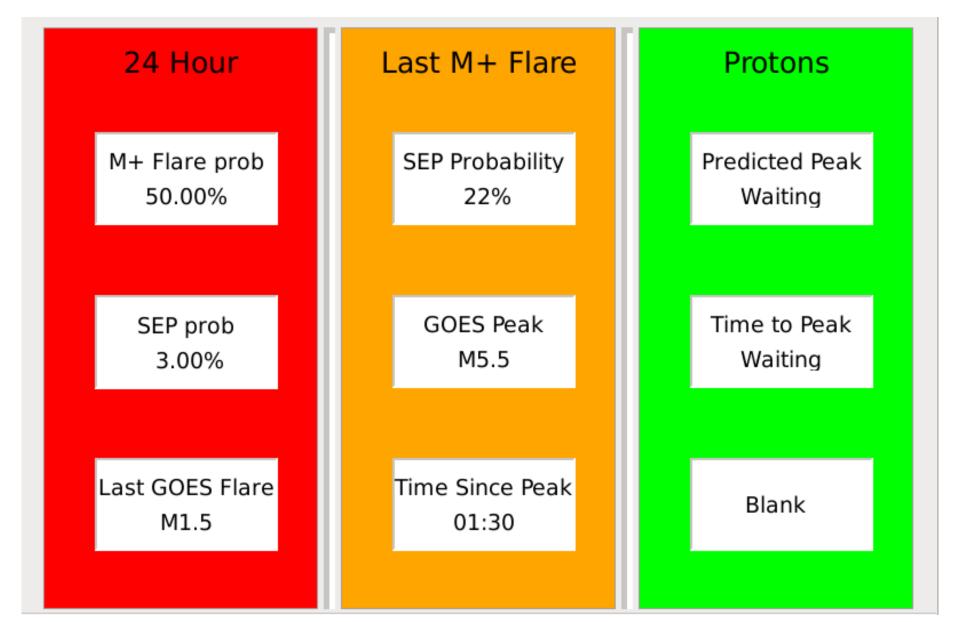
DESIGNATES UNITS FOR X-RAY DATA IN UNITS OF Wm-2 SEC.

C IS A CONVERSION FACTOR RIOMETER ABSORPTION SQUARED TO >5.2 MeV PROTON FLUX DATA. C=(0.115) 2 π





AF Dynamic Energetic Particle Forecasting Tool Kahler, White, Ling



Kahler & Ling (2017) showed that you can represent SEP light curves as Weibull functions with two parameters:

$$\alpha$$
 = "decay index" β = timescale

the Weibull function, which is defined as

$$f(x) = (\alpha/\beta)(x/\beta)^{\alpha-1} \exp[-(x/\beta)^{\alpha}],$$

negative values of α , as

$$F(x) = (-\alpha/\beta)(x/\beta)^{\alpha-1} \exp[-(x/\beta)^{\alpha}],$$

